#### Big Sequence Management: on Scalability

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- Panos Karras

# Introduction, Motivation

Sequence of points ordered along some dimension

dive



# Scientific Monitoring

 meteorology, oceanography, astronomy, finance, sociology, ...







Time

Historical stock quotes http://money.cnn.com/2012/04/23/markets/walmart\_stock/index.htm

diN

# Telecommunications

- analysis of call activity patterns
  - Telecom Italia

Time







diN

clustermap of incoming calls time series

# Home Networks

- temporal usage behavior analysis of home networks
  - Portugal Telecom

Time





clustering based on user activity patterns

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## Data Centers

#### cloud utilization/operation/health monitoring













dillo



#### Neuroscience

• functional Resonance Magnetic Imaging (fMRI) data

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- primary experimental tool of neuroscientists
- reveal how different parts of brain respond to stimuli



**di**No 10

# Entomology







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Medicine



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### Motivating Examples: Monitoring Vehicle Operation



#### Data as a Set Data as a Sequence

- streaming data
  - window of interest
    - landmark window
    - sliding window (shifting window)
- may treat streaming data as a set, or as a sequence
  depends on whether sequence is important

#### Data Series (Signal) Processing Data Series Management

- lots of literature on data series processing
  - periodicity detection
  - data series modeling and forecasting
    - ARMA, ARIMA
  - outlier detection
    - focuses on next value
- instead, we will focus on
  - sequences as first class citizens
  - very large collections of data series
  - fast and scalable similarity search

# Objectives

get introduced to the data series data type
 characteristics, properties, peculiarities

#### learn about

- data series representations
- data series similarity matching
- data series indexing
- systems for data series management
- challenges and open problems

# Data Series Representations

## Introduction

- lots of work on data series representations
   techniques for representing/storing data series
- main goal
  - summarize data series
  - render subsequent processing more efficient

# Outline

- terminology and definitions
- motivation
- pre-processing tasks
- data series representation techniques

Sequence of points ordered along some dimension



- terminology: we will use interchangeably
  - data series, time series, data sequence, sequence

• Sequence of points ordered along some dimension



- number of data series values, n
  - length, or dimensionality

Sequence of points ordered along some dimension



- subsequence
  - subset of contiguous values

• Sequence of points ordered along some dimension



#### subsequence

- subset of contiguous values
- eg, subsequence of length (dimensionality) 4

# Outline

- terminology and definitions
- motivation
- pre-processing tasks
- data series representation techniques

# Simple Query Answering

#### select values in time interval

select values in some range

select some data series combinations of those



# Analysis Tasks

- analyze evolution of values across x-dimension
- identify trends
- treat data series as a first class citizen
  analyze each data series as a single object
  process all n-dimensions at once

#### Analysis Tasks Subsequences

- often times the data series are very long
  - n >> 1
  - streaming data series

#### Analysis Tasks Subsequences

- often times the data series are very long
  - n >> 1
  - streaming data series
- we then chop the long sequence in subsequences
  - e.g., using sliding window, or shifting window
  - pick carefully length of subsequence
    - should contain patterns of interest
- and process each subsequence separately



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# Motivation

- effective representation techniques to the rescue!
  - can significantly reduce the processing time
    - typically much smaller than original/raw data series
- will learn how to compute and use these representations
- these representations can further be used for indexing
- all guarantee correct, exact results!

# Outline

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- data series representation techniques

## Pre-Processing z-Normalization

- data series encode trends
- usually interested in identifying similar trends
- but absolute values may mask this similarity


• two data series with similar trends



- two data series with similar trends
- but large distance...



#### zero mean

- o compute the mean of the sequence
- subtract the mean from every value of the sequence



#### zero mean

- o compute the mean of the sequence
- subtract the mean from every value of the sequence



zero mean

compute the mean of the sequence

• subtract the mean from every value of the sequence



zero mean

compute the mean of the sequence

• subtract the mean from every value of the sequence



- zero mean
- standard deviation one
  - o compute the standard deviation of the sequence
  - divide every value of the sequence by the stddev



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- zero mean
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- zero mean
- standard deviation one

- when to z-normalize
  interested in trends
- when not to z-normalize
  interested in absolute values

# Outline

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- data series representation techniques



#### Discrete Fourier Transform (DFT)



**Basic Idea:** Represent the time series as a linear combination of sines and cosines

Transform the data from the time domain to the frequency domain



Jean Fourier 1768-1830

Highlight the periodicities but keep only the first *n/2* coefficients

Why *n*/2 coefficients?

Because they are symmetric

#### **Excellent free Fourier Primer**

Hagit Shatkay, The Fourier Transform - a Primer", Technical Report CS-95-37, Department of Computer Science, Brown University, 1995.

http://www.ncbi.nlm.nih.gov/CBBresearch/Postdocs/Shatkay/

#### Discrete Wavelet Transform (DWT)



**Basic Idea:** Represent the time series as a linear combination of Wavelet basis functions, but keep only the first *N* coefficients

Obtained from a single prototype wavelet  $\psi(t)$  called *mother wavelet* by *dilations* and *shifting*:

$$\psi_{a,b}(t) = \frac{1}{\sqrt{a}} \psi(\frac{t-b}{a})$$

where *a* is the scaling parameter and *b* is the shifting parameter

#### **Excellent free Wavelets Primer**

Stollnitz, E., DeRose, T., & Salesin, D. (1995). Wavelets for computer graphics A primer: IEEE Computer Graphics and Applications.

#### Piecewise Aggregate Approximation (PAA)



**Basic Idea:** Represent the time series as a sequence of box basis functions, each box being of the same length

#### **Computation:**

- X: time series of length n
- Can be represented in the N-dimensional space as:

$$\overline{X}_{i} = \frac{N}{n} \overset{n}{\overset{n}{\underset{j=\frac{n}{N}(i-1)+1}{\overset{n}{\underset{j=\frac{n}{N}(i-1$$

Keogh, Chakrabarti, Pazzani & Mehrotra, KAIS (2000) Byoung-Kee Yi, Christos Faloutsos, VLDB (2000)

#### Piecewise Linear Approximation (PLA)



**Basic Idea:** Represent the time series (size n) as a sequence of straight lines (size N)

Lines could be **connected** => N/2 lines allowed

Lines could be **disconnected** => N/3 lines allowed

Empirical evidence on dozens of datasets suggests that **disconnected** is better

Also only **disconnected** allows a lower bounding Euclidean approximation



Karl Friedrich Gauss 1777 - 1855

Each line segment has
 length
 left\_height
 (right\_height can
 be inferred by looking
 at the next segment)



Each line segment has

- length
- left\_height
- right\_height

Adaptive Piecewise Constant Approximation (APCA)



**Basic Idea:** Represent the time series as a sequence of box basis functions, each box being of the *different* length

- High quality of APCA noted by many researchers
- Can be indexed\*!

Unfortunately, it is non-trivial to understand and implement and thus has only been re-implemented once or twice



 $< CV_1, CT_1 >$ 

\*K. Chakrabarti, E. J. Keogh, S. Mehrotra, M. J. Pazzani: Locally adaptive dimensionality reduction for indexing large time series databases. ACM Trans. Database Syst. 27(2): 188-228 (2002)

#### SAX Representation

- Symbolic Aggregate approXimation (SAX)
  - (1) Represent data series *T* of length *n* with *w* segments using Piecewise Aggregate Approximation (PAA)

• *T* typically normalized to  $\mu = 0, \sigma = 1$ 

• PAA(
$$T,w$$
) =  $\overline{T} = \overline{t}_1, \dots, \overline{t}_w$   
where  $\overline{t}_i = \frac{w}{n} \sum_{j=\frac{n}{w}(i-1)+1}^{\frac{n}{w}i} T_j$ 

- (2) Discretize into a vector of symbols
  - Breakpoints map to small alphabet *a* of symbols



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#### iSAX Representation

• *i*SAX offers a bit-aware, quantized, multi-resolution representation with variable granularity

$$= \{ 6, 6, 3, 0 \} = \{ 110, 110, 0111, 000 \}$$
$$= \{ 3, 3, 1, 0 \} = \{ 11, 11, 011, 00 \}$$
$$= \{ 1, 1, 0, 0 \} = \{ 1, 1, 0, 0 \}$$

**Publications** 



# **Comparison of Representations**

- which representation is the best?
- depends on data characteristics
  periodic, smooth, spiky, ...
- overall (averaged over many diverse datasets, using same memory budget), when measuring reconstruction error (RMSE)
  - no big differences among methods
  - DFT, PAA, DWT (Haar), iSAX slightly better
- should also take into account other factors
  - visualization, indexable, ...

# Data Series Similarity Problem Variations



<u>Univariate</u>

each point represents one value (e.g., temperature)



**Multivariate** 

each point represents many values (e.g., temperature, humidity, pressure, wind, etc.)



<u>Univariate</u> each point represents one value (e.g., temperature)



**Multivariate** 

each point represents many values (e.g., temperature, humidity, pressure, wind, etc.)

#### Distance Measures

Publications	
Ding- PVLDB'08	
Paparrizos- SIGMOD'20	

- similarity search is based on measuring distance between sequences
- dozens of distance measures have been proposed
  - lock-step
    - Minkowski, Manhattan, Euclidean, Maximum, DISSIM, ...
  - sliding
    - Normalized Cross-Correlation, SBD, ...
  - elastic
    - DTW, LCSS, MSM, EDR, ERP, Swale, ...
  - kernel-based
    - KDTW, GAK, SINK, ...
  - embedding
    - GRAIL, RWS, SPIRAL, ...

#### **Euclidean Distance**



## **Euclidean Distance**



Euclidean distance
pair-wise point distance
ED(X,Y) =

$$\sqrt{\sum_{i=1}^{n} (x_i - y_i)^2}$$

# Correlation

- measures the degree of relationship between data series
  - indicates the degree and direction of relationship
- direction of change
  - positive correlation
    - values of two data series change in same direction
  - negative correlation
    - values of two data series change in opposite directions
- linear correlation
  - amount of change in one data series bears constant ratio of change in the other data series
- useful in several applications

### Pearson's Correlation Coefficient

used to see linear dependency between values of data series of equal length, n

$$PC = \frac{1}{n-1} \sum_{i=1}^{n} \left( \frac{x_i - \bar{x}}{s_x} \right) \left( \frac{y_i - \bar{y}}{s_y} \right)$$

- where  $\bar{x}$  is the mean:  $\bar{x} = \frac{1}{n-1} \sum_{i=1}^{n} x_i$
- and  $s_x$  is the standard deviation:  $s_x = \sqrt{\frac{1}{n-1}\sum_{i=1}^n (x_i \bar{x})^2}$

### Pearson's Correlation Coefficient

• used to see linear dependency between values of data series of equal length, n

$$PC = \frac{1}{n-1} \sum_{i=1}^{n} \left( \frac{x_i - \bar{x}}{s_x} \right) \left( \frac{y_i - \bar{y}}{s_y} \right)$$

- takes values in [-1,1]
  - o no correlation
  - -1, 1 inverse/direct correlation
- there is a statistical test connected to PC, where null hypothesis is the no correlation case (correlation coefficient = 0)
  - test is used to ensure that the correlation similarity is not caused by a random process

# PC and ED

- Euclidean distance:  $ED = \sqrt{\sum_{i=1}^{n} (x_i y_i)^2},$
- In case of Z-normalized data series (mean = 0, stddev = 1):

$$PC = \frac{1}{n-1} \sum_{i=1}^{n} x_i \cdot y_i$$
 and  $ED^2 = 2n(n-1) - 2\sum_{i=1}^{n} x_i y_i$ 

so the following formula is true:  $ED^2 = 2(n-1)(n-PC)$ 

- direct connection between ED and PC for Z-normalized data series
  - if ED is calculated for normalized data series, it can be directly used to calculate the p-value for statistical test of Pearson's correlation instead of actual PC value.



#### Queries



Whole matching

Entire query Entire candidate

Subsequence matching

Entire query

A subsequence of a candidate

#### Queries



Whole matching

Entire query Entire candidate



**Subsequence matching** 

Entire query

A subsequence of a candidate

#### Queries

Nearest Neighbor (1NN) k-Nearest Neighbor (kNN) Farthest Neighbor epsilon-Range

and more...

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# Similarity Matching

- given a data series collection D and a query data series q, return the data series from D that are the most similar to q
   there exist different flavors of this basic operation
- basis for most data series analysis tasks
# Similarity Matching Nearest Neighbor (NN) Search

- given a data series collection D and a query data series q, return the data series from D that has the smallest distance to q
- result set contains one data series

# Similarity Matching Nearest Neighbor (NN) Search

• serial scan

- compute the distance between q and every  $d_i \in D$
- return d<sub>i</sub> with the smallest distance to q

# Similarity Matching Nearest Neighbor (NN) Search

- serial scan
  - bsf = Inf // best so far distance
  - for every  $d_i \in D$ 
    - compute distance, dist, between  $d_{i}\,and\,q$
    - if this dist less than bsf then bsf=dist
  - return d<sub>i</sub> corresponding to bsf

# Similarity Matching k-Nearest Neighbors (kNN) Search

- given a data series collection D and a query data series q, return the k data series from D that have the k smallest distances to q
- result set contains k data series

# Similarity Matching k-Nearest Neighbors (kNN) Search

• serial scan

- compute the distance between q and every  $d_i \in D$
- return the k d<sub>i</sub> with the k smallest distances to q

# Similarity Matching k-Nearest Neighbors (kNN) Search

- serial scan
  - kbsf = Null // best so far max-heap of k elements
  - for every  $d_i \in D$ 
    - compute distance, dist, between  $d_i$  and q
    - if this dist less than max of kbsf then insert dist in kbsf
  - return k d<sub>i</sub> corresponding to k elements in kbsf

# Similarity Matching $\varepsilon$ -Range Search

- given a data series collection D and a query data series q, return all data series from D that are within distance ε from q
- result set contains [?] data series

# Similarity Matching $\varepsilon$ -Range Search

- serial scan
  - $\ \circ \$  compute the distance between q and every  $d_i \in D$
  - return all  $d_i$  with distance less than  $\varepsilon$  to q

# Similarity Matching $\varepsilon$ -Range Search

- serial scan
  - $\operatorname{res} = \{\}$

// empty result set

- for every  $d_i \in D$ 
  - compute distance, dist, between d<sub>i</sub> and q
  - if this dist less than  $\varepsilon$  then insert dist in res
- return all d<sub>i</sub> corresponding to elements in res

# **Problem Variations**

## Queries

## Nearest Neighbor (1NN)

k-Nearest Neighbor (kNN) Farthest Neighbor epsilon-Range And more...

## Nearest Neighbor (NN) Queries... $Prob(d_{\epsilon} \le d_{x}(1+\epsilon)) = 1$ & approximate $Prob(d_x = min\{d_i\}) = 1$ neighbors result within $(1 + \varepsilon)$ of exact NN result is exact NN with probability 1 ● 3 0 **O**<sub>x</sub> exact $d_x(1+\varepsilon)$ d NN ng-approximate O neighbors **d**<sub>ng</sub> (IXE $\mathbf{d}_{\mathbf{d}\mathbf{e}}$ **Prob(d**<sub>nq</sub> <>= ?) = ? Ong result within ? of exact NN **δ-ε-**approximate neighbor. $Prob(d_{\epsilon} \le d_{\chi}(1+\epsilon)) \ge \delta$ result within $(1 + \varepsilon)$ of exact NN with probability at least δ

# Data Series Similarity Query Answering

## **Query answering process**



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## **Query answering process**



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# Similarity Matching Fast Euclidean Distance

- similarity matching requires many distance computations
  - can significantly slow down processing
    - because of large number of data series in the collection
    - because of high dimensionality of each data series
- in case of Euclidean Distance, we can speedup processing by
  - smart implementation of distance function
  - early abandoning
- result in **considerable** performance improvement

Publications

Keogh-

DMKD'03

# Similarity Matching Fast Euclidean Distance

• smart implementation of distance function

$$ED(X,Y) = \sqrt{\sum_{i=1}^{n} (x_i - y_i)^2}$$

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Publications Keogh-DMKD'03

# Similarity Matching Fast Euclidean Distance

smart implementation of distance function

• do **not** compute the square root (of the Euclidean Distance)

$$ED(X,Y) = \sum_{i=1}^{n} (x_i - y_i)^2$$

- does not alter the results
- saves precious CPU cycles

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Publications Keogh-DMKD'03

# Similarity Matching Fast Euclidean Distance

early abandoning

• **stop** the distance computation as soon as it exceeds the value of bsf

$$ED(X,Y) = \sum_{i=1}^{m} (x_i - y_i)^2, \quad m \le n$$

- does not alter the results
- avoids useless computations

# **GEMINI** Framework



- Raw data: original full-dimensional space
- Summarization: reduced dimensionality space
- Searching in original space *costly*
- Searching in reduced space *faster*:
  - Less data, indexing techniques available, lower bounding
- Lower bounding enables us to
  - *prune search space:* throw away data series based on reduced dimensionality representation
  - guarantee correctness of answer
    - no false negatives
    - false positives filtered out based on raw data

# **GEMINI** Framework



## GEMINI Solution: Quick filter-and-refine:

- extract *m* features (numbers, e.g., average)
- map to point in *m*-dimensional feature space
- organize points
- retrieve the answer using a NN query
- discard false positives

## Generic Search using Lower Bounding



# GEMINI: contractiveness

Faloutsos-SIGMOD'94

**Publications** 

• GEMINI works when:

 $D_{feature}(F(x), F(y)) \leq D(x, y)$ 

• Note that, the closer the feature distance to the actual one, the better

# Similarity Search Classes of Methods

diNo



Q

Q is compared to each raw candidate in the dataset before returning the answer C<sub>x</sub>

(a) Serial scan

## Answering a similarity search query using different access paths

diNo



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Q is compared to each raw candidate in the dataset before returning the answer C<sub>x</sub>

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## Answering a similarity search query using different access paths

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Q is compared to each raw candidate in the dataset before returning the answer C<sub>x</sub>

(a) Serial scan

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Q is compared to each raw candidate in the dataset before returning the answer C<sub>x</sub>

(a) Serial scan

## Answering a similarity search query using different access paths

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dataset before returning the answer  $C_x$ 

(a) Serial scan

#### Answering a similarity search query using different access paths



dataset before returning the answer  $C_x$ 

(a) Serial scan

## Answering a similarity search query using different access paths

diNo





dataset before returning the answer  $\mathbf{C}_{\mathbf{x}}$ 

(a) Serial scan

## Answering a similarity search query using different access paths



Q is compared to each raw candidate in the dataset before returning the answer C<sub>x</sub>

(a) Serial scan

## Answering a similarity search query using different access paths

**divlo** 103

**Indexes vs. Scans** 



Answering a similarity search query using different access paths

**diNp** 104

**Indexes vs. Scans** 



Answering a similarity search query using different access paths

**diNo** 105

**Indexes vs. Scans** bsf  $=+\infty$  $lb_{cur} = +\infty$ Q Q • • • • • lower-bounding (lb) property:  $d_{ib}(Q', C_i') \leq d(Q, C_i)$ Memory Disk C<sub>x</sub> C, Q is compared to each raw candidate in the dataset before returning the answer C<sub>x</sub> (a) Serial scan (b) Skip-sequential scan

Answering a similarity search query using different access paths

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#### Answering a similarity search query using different access paths

**diNo** 107

Indexes vs. Scans  $bsf = +\infty$  $lb_{cur} = d_{lb}(Q', C_1') < bsf$ Q Q The summary of Q (Q') is compared to the summary of each candidate . . . . . . Memory Disk C<sub>x</sub> C. Q is compared to each raw candidate in the dataset before returning the answer C<sub>x</sub> (a) Serial scan (b) Skip-sequential scan

Answering a similarity search query using different access paths

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**diNb** 109

**Indexes vs. Scans** bsf =  $d(Q,C_1)$  $lb_{cur} = d_{lb}(Q', C_1') < bsf$ Q Q The summary  $\oint \mathbf{Q} (\mathbf{Q}')$  is compared to the summary of each candidate ••••••• Memory Disk C<sub>x</sub> **Q** is compared to each raw candidate in the Q is compared to a raw candidate only if dataset before returning the answer C<sub>x</sub> its summary cannot be pruned (a) Serial scan (b) Skip-sequential scan

#### Answering a similarity search query using different access paths

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**Indexes vs. Scans** bsf =  $d(Q,C_1)$  $lb_{cur} = d_{lb}(Q',C_x')$ Q Q The summary of  $\mathbf{Q}(\mathbf{Q}')$  is compared to the summary of each candidate Memory Disk C<sub>x</sub> **Q** is compared to each raw candidate in the Q is compared to a raw candidate only if dataset before returning the answer C<sub>x</sub> its summary cannot be pruned (a) Serial scan (b) Skip-sequential scan

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#### Answering a similarity search query using different access paths

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**Indexes vs. Scans** 



Answering a similarity search query using different access paths

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Indexes vs. Scans bsf  $=+\infty$ Q Q Q The summary of Q (Q') is compared to the summary of each candidate Memory Disk Cx C<sub>x</sub> **Q** is compared to each raw candidate in the Q is compared to a raw candidate only if dataset before returning the answer  $C_x$ its summary cannot be pruned (a) Serial scan (b) Skip-sequential scan (c) Tree-based index

Answering a similarity search query using different access paths

diNo



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Indexes vs. Scans bsf =  $d(Q,C_3)$ Q Q Q The summary of Q (Q') is compared to the summary of each candidate Memory Disk Cx C<sub>x</sub> **Q** is compared to each raw candidate in the Q is compared to a raw candidate only if dataset before returning the answer  $C_x$ its summary cannot be pruned (a) Serial scan (b) Skip-sequential scan (c) Tree-based index

Answering a similarity search query using different access paths

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#### Answering a similarity search query using different access paths

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<u>di</u>No 126



#### Answering a similarity search query using different access paths

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Indexes vs. Scans bsf  $= d(Q,C_3)$  $lb_{cur} = d_{lb}(Q', 1) < bsf$ Queue Q Q Q The summary of Q (Q') is compared to the summary of each candidate Memory Disk Cx C<sub>x</sub> **Q** is compared to each raw candidate in the Q is compared to a raw candidate only if dataset before returning the answer  $C_x$ its summary cannot be pruned (a) Serial scan (b) Skip-sequential scan (c) Tree-based index

## Answering a similarity search query using different access paths

divo

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Indexes vs. Scans bsf  $= d(Q,C_3)$  $Ib_{cur} = d_{Ib}(Q', 2) < bsf$ Q Q Q The summary of Q (Q') is compared to the summary of each candidate Memory Disk Cx C<sub>x</sub> **Q** is compared to each raw candidate in the Q is compared to a raw candidate only if dataset before returning the answer  $C_x$ its summary cannot be pruned (a) Serial scan (b) Skip-sequential scan (c) Tree-based index

Answering a similarity search query using different access paths

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Indexes vs. Scans bsf  $= d(Q,C_3)$  $lb_{cur} = d_{lb}(Q', 5)$ Q Q Q The summary of Q (Q') is compared to the summary of each candidate Memory Disk Cx C<sub>x</sub> **Q** is compared to each raw candidate in the Q is compared to a raw candidate only if dataset before returning the answer  $C_x$ its summary cannot be pruned (a) Serial scan (b) Skip-sequential scan (c) Tree-based index

# Answering a similarity search query using different access paths

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Indexes vs. Scans bsf  $= d(Q,C_3)$  $lb_{cur} = d_{lb}(Q', 5) < bsf$ Q Q Q The summary of Q (Q') is compared to the summary of each candidate Memory Disk Cx C<sub>x</sub> **Q** is compared to each raw candidate in the Q is compared to a raw candidate only if dataset before returning the answer  $C_x$ its summary cannot be pruned (a) Serial scan (b) Skip-sequential scan (c) Tree-based index

Answering a similarity search query using different access paths

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**di**No 134

Indexes vs. Scans bsf  $= d(Q,C_3)$  $Ib_{cur} = d_{Ib}(Q', Q)$ Q Q Q The summary of Q (Q') is compared to the summary of each candidate Memory Disk C<sub>x</sub> C<sub>x</sub> **Q** is compared to each raw candidate in the Q is compared to a raw candidate only if dataset before returning the answer  $C_x$ its summary cannot be pruned (a) Serial scan (b) Skip-sequential scan (c) Tree-based index

Answering a similarity search query using different access paths

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Indexes vs. Scans bsf  $= d(Q,C_3)$  $Ib_{cur} = d_{Ib}(Q', \mathbf{O}) < bsf$ Q Q Q The summary of Q (Q') is compared to the summary of each candidate C<sub>x</sub> C<sub>x</sub>

**Q** is compared to each raw candidate in the dataset before returning the answer  $C_x$ 

Memory Disk

(a) Serial scan

- Q is compared to a raw candidate only if its summary cannot be pruned
  - (b) Skip-sequential scan

(c) Tree-based index

**dino** 136

Indexes vs. Scans bsf  $= d(Q,C_3)$  $Ib_{cur} = d_{Ib}(Q', \mathbf{O}) < bsf$ Q Q Q The summary of Q (Q') is compared to the summary of each candidate Memory Disk C<sub>x</sub> C<sub>x</sub> **Q** is compared to each raw candidate in the Q is compared to a raw candidate only if dataset before returning the answer  $C_x$ its summary cannot be pruned (a) Serial scan (b) Skip-sequential scan (c) Tree-based index

Answering a similarity search query using different access paths

divo

**diNo** 138



Indexes vs. Scans bsf  $= d(Q,C_x)$  $lb_{cur} = d_{lb}(Q', 4)$ Q Q Q The summary of Q (Q') is compared to the summary of each candidate Memory Disk C<sub>x</sub> C<sub>x</sub> **Q** is compared to each raw candidate in the Q is compared to a raw candidate only if dataset before returning the answer  $C_x$ its summary cannot be pruned (a) Serial scan (b) Skip-sequential scan (c) Tree-based index

Answering a similarity search query using different access paths

**diN** 139

**dino** 140



Indexes vs. Scans bsf  $= d(Q,C_x)$  $lb_{cur} = d_{lb}(Q', 4) > bsf$ Q Q Q The summary of Q (Q') is compared to the summary of each candidate Memory Disk C<sub>x</sub> C<sub>x</sub> **Q** is compared to each raw candidate in the Q is compared to a raw candidate only if dataset before returning the answer  $C_x$ its summary cannot be pruned (a) Serial scan (b) Skip-sequential scan (c) Tree-based index

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Answering a similarity search query using different access paths

**divo** 142



# Data Series Indexing


PVLDB'13

#### DSTree Summarization



The APCA and EAPCA representations

#### DSTree Indexing

 $\mathbf{V} = [-1.5, -0.5, 0.5, 1.5, 2.5, 1.5, 2, 2.6]$  $SG[I_1] = (8)$  $\mathbf{Z}[I_1] = (Z_1)$ L  $SG[I_{2}] = (4,8)$  $\mathbf{Z}[\mathbf{I}_{2}] = (\mathbf{z}_{1}, \mathbf{z}_{2})$ L<sub>3</sub>  $SG[I_3] = (4,6,8)$  $\mathbf{Z}[I_3] = (z_1, z_2, z_3)$  $L_{2}$ 

Wang-PVLDB'13

Publications

Each node contains

- # vectors
- segmentation SG
- **u** synopsis **Z**

Each Leaf node also : stores its raw vectors in a separate disk file

#### Symbolic Fourier Approximation (SFA) Summarization



The SFA representation\*

\*https://www2.informatik.hu-berlin.de/~schaefpa/talks/scalable\_classification.pptx

**diNo** 147

Schafer-EDBT'12

Publications

Schafer-EDBT'12

### SFA Indexing

root MBR CACD CEBC DAAD DCEF internal node С D (C) (D) CACD CADA CCAD CCCA CEBA CEBC DAAD DACC DCDA DCEF А Е А С С (DC) (CA) (CC) (CE) (DA) DCEA DCEF DCDA DCDC CACD CCAD CEBA DAAD CACE CCBA CEBB DACA Е D CADA CCCA CEBC DACC (DCE) (DCD) DCDA DCEA SFA words DCDB DCEB DCDC DCEF leaf ... •••

#### The SFA Trie\*

\*https://www2.informatik.hu-berlin.de/~schaefpa/talks/scalable\_classification.pptx

#### iSAX Family iSAX Summarization

 based on *i*SAX representation, which offers a bit-aware, quantized, multi-resolution representation with variable granularity

$$= \{ 6, 6, 3, 0 \} = \{ 110, 110, 0111, 000 \}$$
$$= \{ 3, 3, 1, 0 \} = \{ 11, 11, 011, 00 \}$$
$$= \{ 1, 1, 0, 0 \} = \{ 1, 1, 0, 0 \}$$



**divip** 149





#### Publications Zoumbatianos-SIGMOD'14 Zoumbatianos-PVLDB'15 Zoumbatianos-VLDBJ'16

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din

## ADS+

- novel paradigm for building a data series index
  - does not build entire index and then answer queries
  - starts answering queries by building the part of the index needed by those queries
- still guarantees correct answers
- intuition for proposed solution
  - builds index using only *i*SAX summaries; uses large leaf size
  - postpones leaf materialization to query time
    - only materialize (at query time) leaves needed by queries
  - parts that are queried more are refined more
    - use smaller leaf sizes (reduced leaf materialization and query answering costs)









**dino** 156

#### Extensions...

- Coconut: current solution for limited memory devices and streaming time series
  - bottom-up, succinct index construction based on sortable summarizations



#### Extensions...







### Extensions...

- Coconut: current solution for limited memory devices and streaming time series
  - bottom-up, succinct index construction based on sortable summarizations
  - outperforms state-of-the-art in terms of index space, index construction time, and query answering time

#### **Coconut-LSM**

#### Extensions...



Publications Kondylakis-PVLDB'18 Kondylakis-SIGMOD'19 Kondylakis-VLDBJ'20

Newer data

Older data



## Extensions...

- Coconut: current solution for limited memory devices and streaming time series
  - bottom-up, succinct index construction based on sortable summarizations
  - outperforms state-of-the-art in terms of index space, index construction time, and query answering time
- **ULISSE**: current solution for variable-length queries
  - single-index support of queries of variable lengths

din

Publications

Kondylakis-

PVLDB'18

Kondylakis-SIGMOD'19

Kondylakis-VLDBJ'20

Linardi-

ICDE'18 Linardi-

PVLDB'19

Linardi-

VLDBJ'20

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### Extensions...

- Coconut: current solut and streamin
  - bottom-up, succinct ir summarizations
  - outperforms state-of-t construction time, and
- ULISSE: current solut
  single-index support of
- ℓ<sub>min</sub> D<sub>i, ℓmin</sub> Master series D<sub>2</sub>, | ℓ<sub>max</sub> - 1| e (a) **Aligned Master Series** ex (b) Containment area (c) U (Paa word) L (Paa word)

l<sub>max</sub>



## Extensions...

- Coconut: current solution for limited memory devices and streaming time series
  - bottom-up, succinct index construction based on sortable summarizations
  - outperforms state-of-the-art in terms of index space, index construction time, and query answering time
- **ULISSE**: current solution for variable-length queries
  - single-index support of queries of variable lengths
  - orders of magnitude faster than competing approaches

**diNo** 163

Publications

Kondylakis-

PVLDB'18

Kondylakis-SIGMOD'19

Kondylakis-VLDBJ'20

Linardi-

ICDE'18

Linardi-

PVLDB'19

Linardi-

VLDBJ'20

DPiSAX: current solution for distributed processing (Spark)
 balances work of different worker nodes

**di**No 164

Publications

Yagoubi-

ICDM'17

Yagoubi-TKDE'18

Lavchenko-KAIS'20



**diNo** 165

• DPiSAX: current solution for distributed processing (Spark)

balance work of different worker nodes



- **DPiSAX**: current solution for distributed processing (Spark)
  - balances work of different worker nodes
  - performs 2 orders of magnitude faster than centralized solution

**diNo** 166

Publications

Yagoubi-

ICDM'17

Yagoubi-TKDE'18

Lavchenko-KAIS'20

- DPiSAX: current solution for distributed processing (S
  - balances work of different worker nodes
  - performs 2 orders of magnitude faster than centralized solution
- **ParIS**: current solution for modern hardware
  - completely masks out the CPU cost





Echihabi, Zoumpatianos, Palpanas - IEEE BigData 2020

- DPiSAX: current solution for distributed processing (S
  - balances work of different worker nodes
  - performs 2 orders of magnitude faster than centralized solution
- **ParIS**: current solution for modern hardware
  - masks out the CPU cost
  - answers exact queries in the order of a few secs
    - 3 orders of magnitude faster then single-core solutions









- DPiSAX: current solution for distributed processing (Sparl
  - balances work of different worker nodes
  - performs 2 orders of magnitude faster than centralized solution
- ParIS: current single-node parallel solution
  - masks out the CPU cost
  - answers exact queries in the order of a few secs
    - >1 order of magnitude faster then single-core solutions
- MESSI: current single-node parallel solution + in-memory data
  answers exact queries at interactive speeds: ~50msec on 100GB



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    - >1 order of magnitude faster then single-core solutions
- MESSI: current single-node parallel solution + in-memory data
  answers exact queries at interactive speeds: ~50msec on 100GB
- **SING**: current single-node parallel solution + GPU + in-memory data
  - answers exact queries at interactive speeds: ~32msec on 100GB



Publications Palpanas-ISIP'19

## iSAX Index Family



Timeline depicted on top; implementation languages marked on the right. Solid arrows denote inheritance of index design; dashed arrows denote inheritance of some of the design features; two new versions of iSAX2+/ADS+ marked with asterisk support approximate similarity search with deterministic and probabilistic quality guarantees.

Echihabi, Zoumpatianos, Palpanas - IEEE BigData 2020

# Experimental Comparison: Exact Query Answering Methods

## How do these methods compare?

- several methods proposed in last 3 decades
- never carefully compared to one another
- we now present results of extensive experimental comparison





# Experimental Framework

- Hardware
  - HDD and SSD
- Datasets
  - Synthetic (25GB to 1TB) and 4 real (100 GB)
- Exact Query Workloads
  - 100 10,000 queries
- Performance measures
  - Time, #disk accesses, footprint, pruning, Tightness of Lower Bound (TLB), etc.
- C/C++ methods (4 methods reimplemented from scratch)
- Procedure:
  - Step 1: Parametrization
  - Step 2: Evaluation of individual methods
  - Step 3: Comparison of best methods

### Time for Indexing (Idx) vs. Dataset Size



## Time for 100 Exact Queries vs. Dataset size


# Time for Idx + 10K Exact Queries vs. Dataset size



**dino** 181

# Time for Idx + 10K Exact Queries vs. Series Length





**diNo** 182



di N = 183

# **Unexpected Results**

- Some methods do not scale as expected (or not at all!)
- Brought back to the spotlight two older methods VA+file and DSTree
  - Our reimplementations outperform by far the original ones
- Optimal parameters for some methods are different from the ones reported in the original papers
- Tightness of Lower Bound (TLB) does not always predict performance



#### No bias, same data and same implementation framework





# Insights



- Results are sensitive to:
  - Parameter tuning
  - Hardware setup
  - Implementation
  - Workload selection
- Results identify methods that would benefit from modern hardware



# Time Series Management Systems

Echihabi, Zoumpatianos, Palpanas - IEEE BigData 2020

# **Storing Time-Series**

Multiple options. By popularity:



# Storing Time-Series: File-System

Multiple different formats implemented for various applications



# Storing Time-Series: **DBMS**

Illustra (1993) → IBM Informix (Time-Series DataBlade):

- Users need to define a time-series sub-type, which have a datetime as the first column in the definition
- Can encode both regular and irregular time-series (fixed of variable intervals)
- Can describe meta-data
- Supports: running aggregates, prev, next value reasoning, horizontal and vertical mathematical operations, lags, etc.

#### Shore $\rightarrow$ SEQ

- Custom Time-Series Data Type
- Various time-series operators (order, correlation, etc.)

#### Oracle:

- Introduced Time-Series functionality in Oracle8
- Now merged into the main product.
- It is in the form of time-series analytics functions (e.g., forecasting)



**Commercial System** 

# Storing Time-Series: DBMS



• It is in the form of time-series analytics functions (e.g., forecasting)

# Storing Time-Series: Specialized Time-Series DBs



# Storing Time-Series: ArrayDBs





















#### Simple

Selection-Projection-Transformation

#### Complex

Analytical/Mining Queries

#### Simple

Selection-Projection-Transformation





e.g., Compute the *average* pressure for all sensors for the range of positions that cover the  $2^{nd}$  to the  $12^{th}$  of March.

Query Type 3: Look at a subset of points based on a value *e.g., Bring me all pressure* values above a *threshold* 



# Storage

#### Storing meta-data



# Storage



# Storage

#### Storing meta-data



## Schema



### Schema





### Order by sequence id



### Order by sequence id



# Order by position



# Order by position

#### Simple Conclusion

Heavy filtering on positions & Accessing lots of series: **position-first** 

Heavy filtering on series id & accessing lots of positions: sequence-first



#### **Simple Conclusion**

Heavy filtering on positions & Accessing lots of series: **position-first** 

Heavy filtering on series id & accessing lots of positions: sequence-first



- Clustered index on position --- Clustered index on seq. id





Query Type 1: Find all points of a subset of data series e.g., Bring me the whole history of "pressure" for "Sensor 1"

**Query Type 2:** Look at the points at a **subset of the positions** *e.g., Compute the average pressure for all sensors for the range of positions that cover the 2<sup>nd</sup> to the 12<sup>th</sup> of March.* 

Query Type 3: Look at a subset of points based on a value *e.g., Bring me all pressure* values above a *threshold* 

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Query Type 1: Find all points of a subset of data series e.g., Bring me the whole history of "pressure" for "Sensor 1"

**Query Type 2:** Look at the points at a **subset of the positions** *e.g., Compute the* **average** pressure for all sensors for the range of positions that cover the  $2^{nd}$  to the  $12^{th}$  of March.

Query Type 3: Look at a subset of points based on a value *e.g., Bring me all pressure* values above a *threshold* 









### **Time-Series Management Systems**

a few more details on the popular systems:

- InfluxDB - TimescaleDB

### InfluxDB

- Storage Engine:
  - Log Structured Merge Tree: LSM-Tree variant that expects data to arrive ordered by time and partitions them by distinct sequence. It then stores each series contiguously.
- Schema:
  - Tags and fields. Tags are used to describe meta-data and fields are used to store quantities that change over time.
- Queries
  - It supports group by (only on tags), join (on timestamps and fields), selections, projections, and aggregations.
  - It also supports continuous queries

### TimescaleDB

- **Storage:** Uses PostgreSQL as the backend.
  - It partitions time-series into multiple tables, forming a single virtual entity called a **hypertable**.
  - It allows for the **compression** of data, something that Postgres does not do by default.
- Schema: Tables are normal Postgres tables, where one has to specify a time column in order to create a hypertable.
- Queries: Full SQL support, with the addition of custom time-series functions.
  - Custom time-series operators: first, last, histogram, interpolation, time bucketing, gap filling, etc.
  - It also supports **continuous queries**

## Challenges and Open Problems

**diNo** 225

### Challenges and Open Problems

- we are still far from having solved the problem
- several challenges remain in terms of
  - usability, ease of use
  - scalability, distribution
  - benchmarking
- these challenges derive from modern data series applications

**diNo** 226

### **Massive Data Series Collections**

Publications

Palpanas-SIGREC'19



### Outline

- sequence management system
- benchmarking
- general high-dimensional vectors
- deep learning

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Management System

- Big Sequence Management System
  - general purpose data series management system





**diNb** 229

**diNp** 230

### Management System

• Big Sequence Management System





Management System

• Big Sequence Management System

Data Model Scenarios narizatior Dataset Idx Idx+ Idx+ Exact Exact Exact Holistic Optimization Exact Exact Hard-20 10010010KEasy-20 D Small Α D D D S  $\mathbf{D}$ S D Large Α D D D HDD U Astro U U Α V  $\nabla$ U U U U Deep1B D А SALD D D D  $\mathbf{D}$ U Seismic D D Varying Α S  $\mathbf{D}$ Small D D S D Quer Large S  $\mathbf{D}$  $\mathbf{D}$  $\mathbf{D}$ SD Astro V U Deep1B S  $\nabla$ õ Distr SALD S  $\nabla$ Seismic D  $\nabla$ A: ADS D. DSTree, I: iSAX2+ Spark / S: SFA U: UCR-Suite V: VA+file

Zoumbatianos ICDE'18 Palpanas-HPCS'17 Palpanas-SIGREC'15 Echihabi-PVLDB'18

**Publications** 

Echihabi, Zoumpatianos, Palpanas - IEEE BigData 2020

### Outline

- sequence management system
- benchmarking
- general high-dimensional vectors
- deep learning

**diNb** 232

### **Previous Studies**

evaluate performance of indexing methods using random queries

• chosen from the data (with/without noise)



### **Previous Studies**

With or without noise



noise  $\sim$ 

### Problem with Random Queries



No control on their characteristics

We cannot properly evaluate summarizations and indexes

## We need queries that cover the entire range from easy to hard



Most previous workloads are *skewed* to *easy* queries 1024 64 256 % of queries % of queries % of queries 100 -100 100 75 75 75 50 50 50 25 25 25 0  $\left( \right)$  $\cap$ 0.0 0.1 0.2 0.3 0.4 0.5 0.0 0.1 0.2 0.3 0.4 0.5 0.0 0.1 0.2 0.3 0.4 0.5 Hardness Hardness Hardness

DNA



KDD '15

**TKDE '18** 

### **Previous Workloads**

Most previous workloads are *skewed* to *easy* queries 1024 64 256 % of queries % of queries % of queries 100-100 75 75 75 DNA 50 50 50 25 25 25 0  $\left( \right)$ 0.0 0.1 0.2 0.3 0.4 0.5 0.0 0.1 0.2 0.3 0.4 0.5 0.0 0.1 0.2 0.3 0.4 0.5 Hardness Hardness Hardness % of queries % of queries % of queries 100 100 100 75 75 75 EEG 50 50 50 25 25 25 0.0 0.1 0.2 0.3 0.4 0.5 0.0 0.1 0.2 0.3 0.4 0.5 0.0 0.1 0.2 0.3 0.4 0.5 Hardness Hardness Hardness % of queries % of queries % of queries 00 00 100 Randomwalk 75 75 75 50 50 50 25 25 25 0.2 0.3 0.4 0.5 0.2 0.3 0.4 0.5 0.0 0.1 0.2 0.3 0.4 0.5 0.0 0.1 0.0 0.1 Hardness Hardness Hardness

Publications

Zoumbatianos KDD '15

Zoumbatianos TKDE '18

### **Benchmark Workloads**



If all queries are **easy** all indexes look **good** 



If all queries are **hard** all indexes look **bad** 





need methods for generating queries of varying hardness



## **Characterizing Queries**





# Characterizing Queries Publications Zoumbatianos KDD '15 Zoumbatianos TKDE '18



Points with lower bounds below MINDIST cannot be pruned

#### Must be **read from disk** in order **to dismiss false positives**

Publications Zoumbatianos KDD '15 Zoumbatianos TKDE '18

### Hardness





### Hardness



### Significance

Queries with larger hardness tend to have a larger minimum effort



### **Workload Generation**

Random queries have random hardness



Publications

Zoumbatianos KDD '15

Zoumbatianos TKDE '18

### **Workload Generation**

Can we generate queries of controlled hardness?



araness

Publications

Zoumbatianos KDD '15

Zoumbatianos TKDE '18

### **3 Step Process**







### **Step 1: Sampling**



We need to **independently** control the  $\varepsilon$ -areas



Publications

Zoumbatianos

KDD '15

Zoumbatianos

**TKDE '18** 





### Can be formulated as a graph problem 1 node per query

1 edge for each pair that doesn't intersect



**Publications** 

Zoumbatianos

KDD '15

**Zoumbatianos** 

**TKDE '18** 

Solution

We need to find the **maximum** clique in the graph (NP-Complete: we find a large enough clique using a heuristic)



**Publications** 

Zoumbatianos

KDD '15

Zoumbatianos

**TKDE '18** 

### Step 3: Densifying Number of data series to add



- 1. Given a set of hardnesses as input
- 2. We decide the number of data series to add for each query by solving a linear system of equations:

$$a_i = \frac{N_i + x_i}{N + \overset{\circ}{a}_{j=1}^n x_j}$$

- $\alpha_i$ : hardness,
- $X_i$ : number of data series to add
- N<sub>i</sub> : number of data series already in e-area
- N : Total number of data series
#### **Densification Method: Equi-densification**

Distribute points such that: The **worse** a summarization the more data it checks

Equal number of points in every "zone"



### **Experiments** Densification Methods



Using all datasets of size 256 (100 queries for each dens. method), we measured the:

- 1-TLB: Summarization Error (0: perfect bound, 1: worst possible bound)
- *Minimum Effort* for a set of summarizations using 8 64 bytes.

#### Normalized over SAX-64



Echihabi, Zoumpatianos, Palpanas - IEEE BigData 2020

#### **Experiments** Densification Methods

Publications Zoumbatianos KDD '15 Zoumbatianos TKDE '18

For equi-densification normalized Effort is closer to the normalized Summarization Error The worse a summarization the bigger effort it does



### Summary



#### **Pros:**



#### **Theoretical background**

Methodology for characterizing NN queries for data series indexes



#### **Nearest neighbor query workload generator** Designed to stress-test data series indexes at varying levels of difficulty

#### Cons:



#### **Time complexity**

Need new approach to scale to very large datasets

# Outline

- sequence management system
- benchmarking
- general high-dimensional vectors
- deep learning

**di**No 257

Echihabi-WIMS'20

Publications

# Data Series vs. high-d Vectors

- two sides of the same(?) coin
  - data series as multidimensional points
  - for a specific ordering of the dimensions
- several techniques for similarity search in high-d vectors
  - using LSH (SRS), space quantization (IMI), k-NN graphs (HNSW)
- how do these high-d vector techniques compare to data series techniques?
  - conducted extensive experimental comparison







PVLDB'19



- data series techniques are the overall winners, even on general high-d vector data
  - perform the best for approximate queries with probabilistic guarantees (δ-ε-approximate search), in-memory and on-disk





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- data series techniques are the overall winners, even on general high-d vector data
  - perform the best for approximate queries with probabilistic guarantees (δ-ε-approximate search), in-memory and on-disk
  - perform the best for long vectors, in-memory and on-disk









- data series techniques are the overall winners, even on general high-d vector data
  - perform the best for approximate queries with probabilistic guarantees (δ-ε-approximate search), in-memory and on-disk
  - perform the best for long vectors, in-memory and on-disk
  - perform the best for disk-resident vectors





**diNo** 265

- data series techniques are the overall winners, even on general high-d vector data
- several new applications (and challenges) for data series similarity search techniques!

# Outline

- sequence management system
- benchmarking
- general high-dimensional vectors
- deep learning

**diNo** 266

# **Connections to Deep Learning**

data series indexing for deep embeddings



**deep embeddings** high-d vectors learned using a DNN

**di<b>No** 267

# **Connections to Deep Learning**

- data series indexing for deep embeddings
  - deep embeddings are high-d vectors
  - data series techniques provide effective/scalable similarity search
- deep learning for summarizing data series
  - eg, autoencoders can learn efficient data series summaries
- deep learning for designing index data structures
  - learn an index for similarity search
- deep learning for query optimization
  - search space is vast
  - learn optimization function

**diN0** 268

# Conclusions

- data series is a very **common** data type
  - across several different domains and applications
- complex data series analytics are challenging
  - have very high complexity
  - efficiency comes from data series management/indexing techniques
- need for Sequence Management System
  - optimize operations based on data/hardware characteristics
  - transparent to user
- several exciting research opportunities

**di<b>No** 269

### thank you!

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visit: http://nestordb.com

**diN0** 270

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